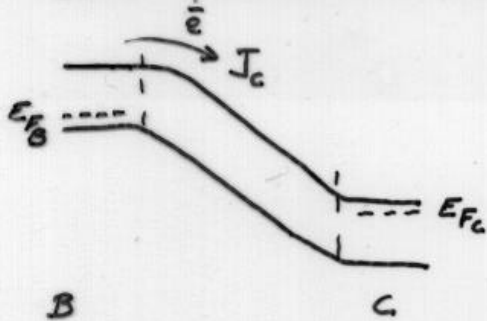


HIGH LEVEL INJECTION AT THE COLLECTOR: KIRK EFFECT

REMINDER: LOW N_D IN THE COLLECTOR FOR: INCREASING V_{BV}

- REDUCING EARLY EFFECT
- REDUCING BASE PUNCH-THR.

BASE-COLLECTOR JUNCTION:

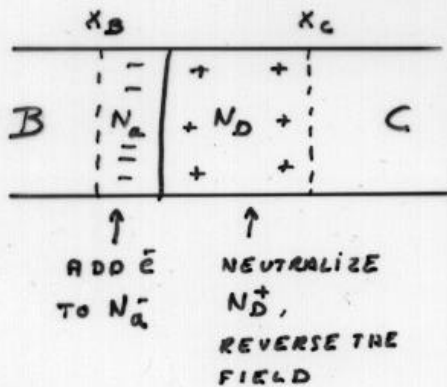


$J_C \equiv$ DRIFT CURRENT IN SPACE CHARGE REGION

$$J_C = e n(x) v(x)$$

BUT: $v(x) = v_L$: SATURATION VELOCITY (LARGE DEPLETION FIELD)

IN SPACE CHARGE REGION $\Rightarrow n(x) = \frac{J_C}{e v_L} \gg N_D, N_A$ IF LARGE J_C (HIGH LEVEL INJECTION)

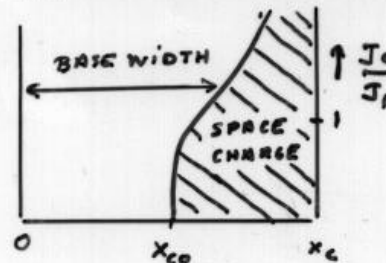


\Rightarrow **BASE WIDENING**
(KIRK EFFECT)

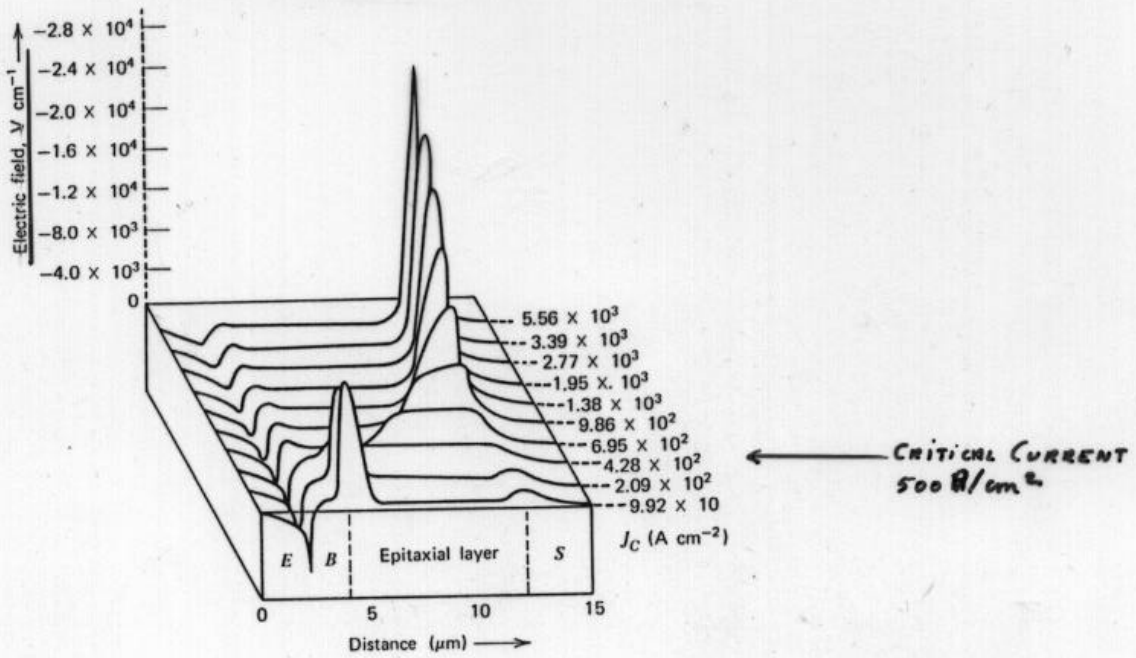
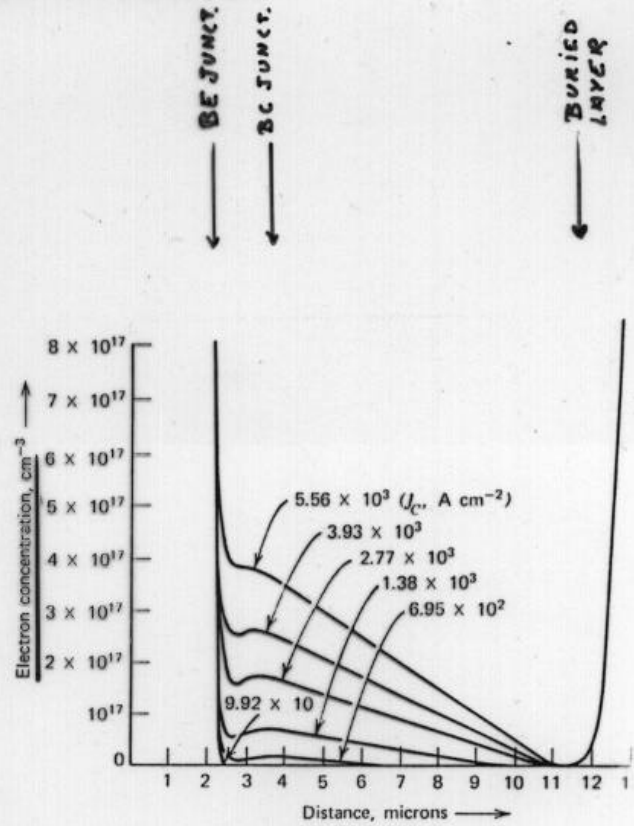
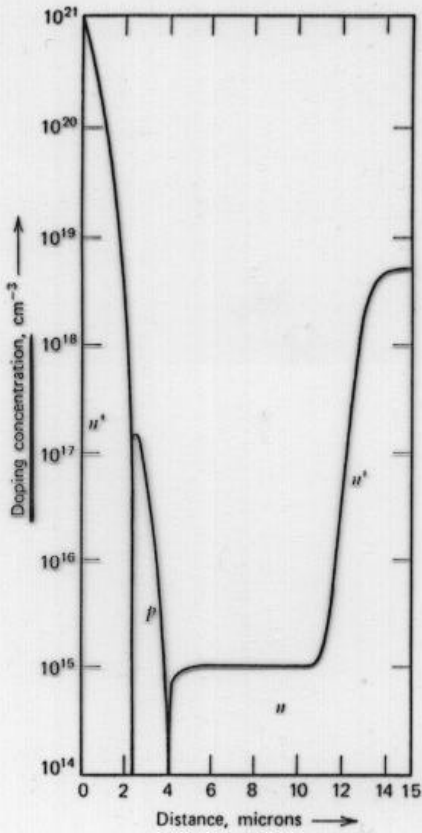
$$|x_C - x_B|_{\text{HIGH LEVEL}} = \frac{|x_C - x_B|_{\text{LOW LEVEL}}}{\sqrt{1 + \frac{J_C}{J_1}}}$$

J_1 : CRITICAL CURRENT DENSITY

UNDER VERY HIGH INJECTION:
SPACE CHARGE FIELD IS PUSHED
BACK TO BURIED LAYER

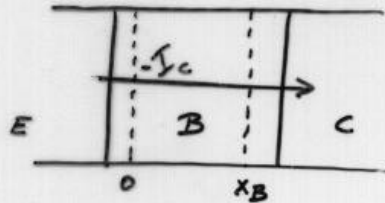


KIRK EFFECT: COMPUTER SIMULATION

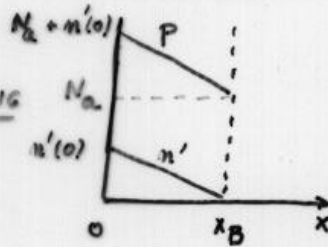


BASE TRANSIT TIME

$$\tau_B = \frac{Q_{nB}}{I_C}$$



UNIFORM DOPING



$$\tau_B = \frac{\frac{x_B}{2} [n'(0) + e N_A] \left[\frac{1}{2} n'(0) x_B \right]}{\tilde{D}_n n'(0) [N_A + n'(0)]}$$

$$\tau_B = \frac{x_B^2}{4 \tilde{D}_n} \left[1 + \frac{N_A}{n'(0) + N_A} \right]$$

- Low level injection $n'(0) \ll N_A$
- High level injection $n'(0) \gg N_A$

$$- Q_{nB} = q A E \int_0^{x_B} n'(x) dx$$

$$- I_C = \frac{q \tilde{D}_n n_i^2 A E e^{\frac{qV_{BE}}{kT}}}{\int_0^{x_B} p(x) dx}$$

$$\tau_B = \frac{\left(\int_0^{x_B} p dx \right) \left(\int_0^{x_B} n' dx \right)}{\tilde{D}_n n_i^2 \exp\left(\frac{qV_{BE}}{kT}\right)}$$

BUT

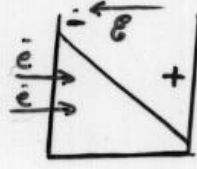
$$- n_i^2 e^{\frac{qV_{BE}}{kT}} = n'(0) p(0) = n'(0) [N_A + n'(0)]$$

$$- \int_0^{x_B} p dx = \frac{1}{2} (n'(0) + e N_A) x_B$$

$$- \int_0^{x_B} n' dx = \frac{1}{2} n'(0) x_B$$

$$\tau_B = \frac{x_B^2}{4 \tilde{D}_n}$$

WEBSTER EFFECT



ELECTRIC FIELD ASSOCIATED WITH THE CHARGE IN THE BASE

- PREVENTS MAJORITY CARRIERS TO DIFFUSE TO THE BASE COLLECTOR
- HELP MINORITY CARRIERS TO REACH THE COLLECTOR JUNCTION

NON UNIFORM DOPING

$$\tau_B = \frac{x_B^2}{\tilde{D}_n} \int_0^1 \frac{dy}{p(y)} \int_y^1 d\zeta p(\zeta) = \frac{x_B^2}{v \tilde{D}_n}$$

$$v = \frac{1}{\int_0^1 \frac{1}{p(y)} \left\{ \int_y^1 d\zeta p(\zeta) \right\} dy}$$